

KG-FIT: Knowledge Graph Fine-Tuning Upon Open-World Knowledge

Patrick Jiang May 30th, 2024

Overview

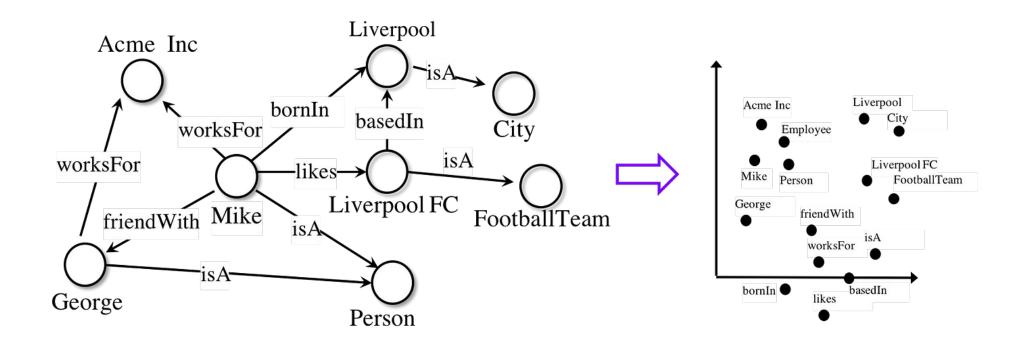


- Background
- Related Works
- Problems
- Methodology
- Experiments & Findings
- Conclusions

Background



From Knowledge Graph (KG) to Knowledge Graph Embedding (KGE)

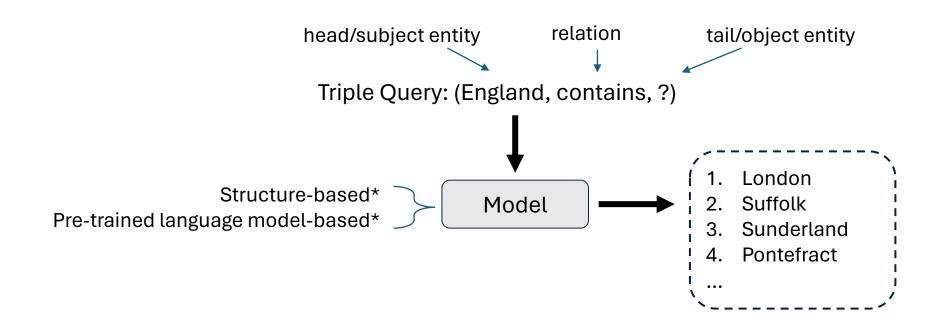


KGE transforms entities and relations of a KG into continuous vector spaces, enabling efficient computation and facilitating tasks like link prediction, entity resolution, and recommendation.

Background



Link Prediction for Knowledge Discovery



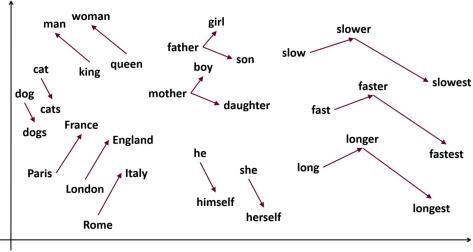
^{*} We do not include rule-based or RL-based methods in the discussion as their performance is no longer competitive.

Related Works

I

Structure-based Methods

Map entities and relations into vector space

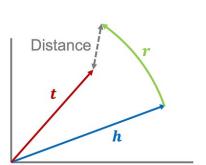


(conceptual figure)

TransE TransH Distance h h Distance

 $f(\mathbf{h}, \mathbf{r}, \mathbf{t}) = -\|\mathbf{h} + \mathbf{r} - \mathbf{t}\|_{p}$ $\mathbf{h}, \mathbf{r}, \mathbf{t} \in \mathbb{R}^{d}$

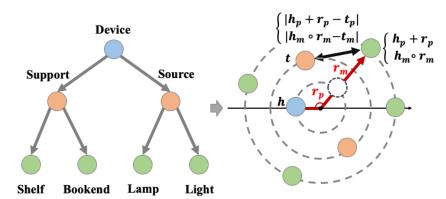




RotatE

$$f(\mathbf{h}, \mathbf{r}, \mathbf{t}) = -\|\mathbf{h} \circ \mathbf{r} - \mathbf{t}\|_{p}$$
$$\mathbf{h}, \mathbf{r}, \mathbf{t} \in \mathbb{C}^{d}, |r_{i}| = 1 \,\forall i$$

HAKE



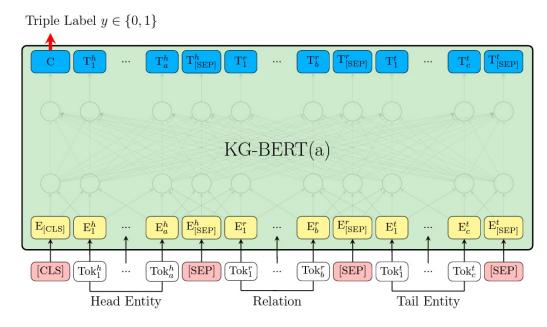
$$-\|\mathbf{h}_m \circ \mathbf{r}_m - \mathbf{t}_m\|_2 - \lambda \|\sin((\mathbf{h}_p + \mathbf{r}_p - \mathbf{t}_p)/2)\|_1 \quad \frac{\mathbf{h}_m, \mathbf{t}_m \in \mathbb{R}^k, \mathbf{r}_m \in \mathbb{R}^k_+,}{\mathbf{h}_p, \mathbf{r}_p, \mathbf{t}_p \in [0, 2\pi)^k, \, \lambda \in \mathbb{R}}$$

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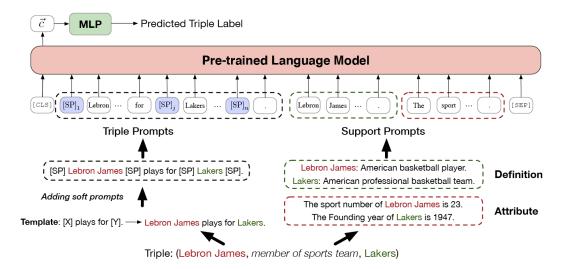
Related Works



PLM-based Methods



KG-BERT: fine-tune a PLM with sliced triples



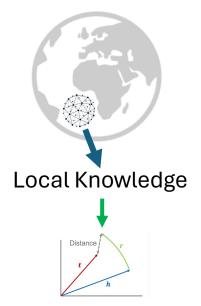
PKGC (ACL'22) / TagReal (ACL'23): fine-tune a PLM with <u>templated</u> sliced triples

$$\mathcal{L} = -\log \frac{e^{(\phi(h,r,t)-\gamma)/\tau}}{e^{(\phi(h,r,t)-\gamma)/\tau} + \sum_{i=1}^{|\mathcal{N}|} e^{\phi(h,r,t'_i)/\tau}}$$

SimKGC (ACL'22): fine-tune a PLM with contrastive learning

Problems





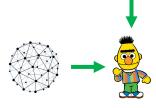
Structure-based Methods

Pros over PLMs/LLMs:

- Fast Training/Inference
- Low Resource
- Interpretable Embeddings
- Robustness to Sparse Data



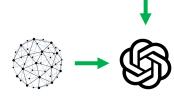
Global Knowledge



Small-scale PLMs



Up-to-Date Global Knowledge



Fast-Iterating LLMs

Pros over Structure-based Methods:

- Abundant External Knowledge
- Handling Linguistic Ambiguity

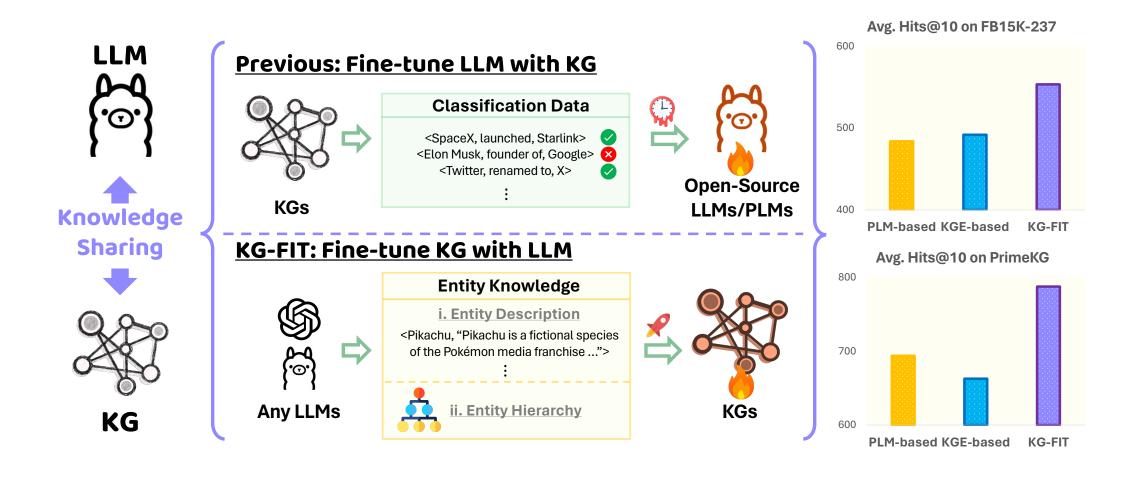
Pros over PLMs:

- Up-to-Date Knowledge
- More comprehensive understanding of entities

Can we combine them?



Abstractive Overview





KG-FIT Framework

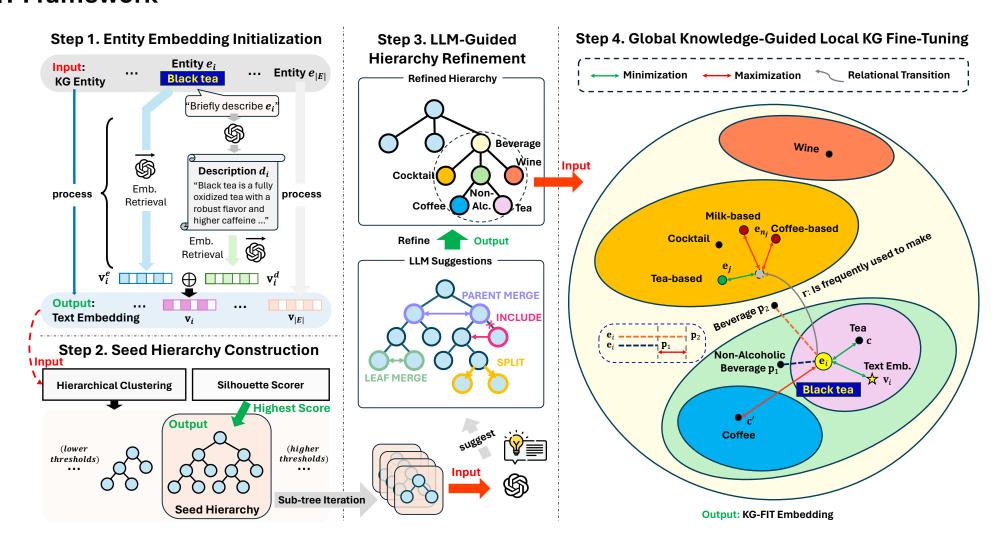
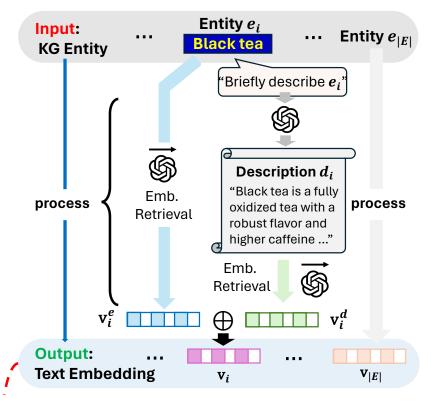




Illustration – Step 1

Step 1. Entity Embedding Initialization

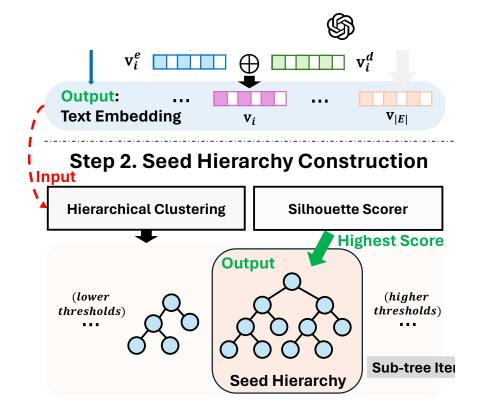


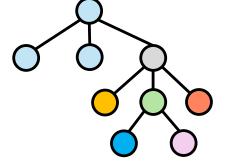
- (1) We generate descriptions of all the entities within the KG using an LLM.
- (2) We concate that the embeddings of the entity name and the entity description as the initial entity embedding. $\mathbf{v}_i = [\mathbf{v}_i^e; \mathbf{v}_i^d]$

KG-FIT is "Knowledge Graph FIne-Tuning" as we are using LM's pre-trained text embedding as the starting point.

\$

Illustration – Step 2







1) We apply agglomerative clustering to the text embedding of all the antities in the KG.

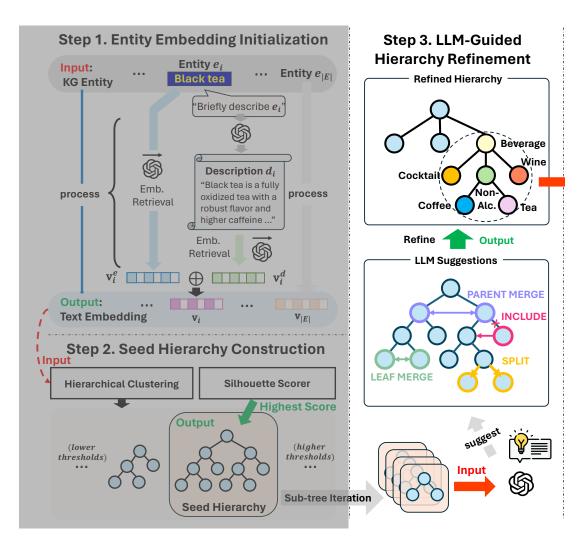
(2) We use silhouette score S^* to select the optimal hierarchy among those with different distance thresholds, as the seed hierarchy \mathcal{H}_{seed}

$$au_{ ext{optim}} = \arg\max_{ au \in [au_{ ext{min}}, au_{ ext{max}}]} S^*(\mathbf{V}, ext{labels}_{ au})$$

* The silhouette score is a metric used to evaluate the quality of clustering by measuring how similar an object is to its own cluster compared to other clusters, providing a succinct and effective assessment of the separation and cohesion of the clusters.



Illustration – Step 3



The <u>seed hierarchy is a binary tree</u>, which may not optimally represent real-world entity knowledge.

Thus, we refine it with LLM's understanding of entities.

(1) For each leaf cluster, we prompt the LLM to split it into subclusters if needed, resulting in $\mathcal{H}_{\rm split}$

$$C_{ ext{split}} = \text{LLM}(\mathcal{P}_{ ext{SPLIT}}(C_{ ext{original}})), \quad C_{ ext{original}} o C_{ ext{split}} = \{C_1, C_2, \dots, C_k\}$$

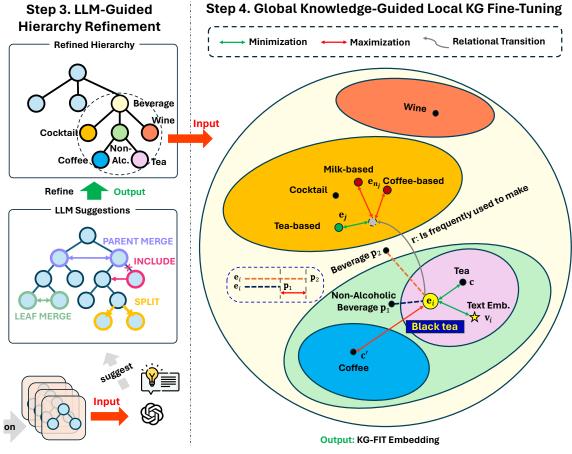
(2) For each sub-tree (parent-child triple) in $\mathcal{H}_{\mathrm{split}}$, we refine it through a series of actions:

$$(P', L', R') = LLM(\mathcal{P}_{REFINE}(P, L, R))$$

- NO UPDATE: (P', L', R') = (P, L, R).
- Parent Merge: $P' = P \cup L \cup R, L' = \emptyset, R' = \emptyset$.
- LEAF MERGE: $P' = \{e_1, \dots, e_p\}, L' = \emptyset, R' = \emptyset, \text{ where } \{e_1, \dots, e_p\} = L \cup R.$
- INCLUDE: $P' = P \cup R, L' = L, R' = \emptyset$ or $P' = P \cup L, L' = \emptyset, R' = R$.

which results in $\mathcal{H}_{\mathrm{LHR}}$

Illustration – Step 4



(1) Initialization of Entity and Relation Embeddings



$$\begin{split} \mathbf{e}_i &= \rho \mathbf{e}_i' + (1-\rho)\mathbf{v}_i', \quad \mathbf{r}_j \sim N(0,\psi^2) \\ \uparrow & \uparrow \\ \mathbf{e}_i' \in \mathbb{R}^n \quad \mathbf{v}_i' = [\mathbf{v}_i^e[: \frac{n}{2}]; \mathbf{v}_i^d[: \frac{n}{2}]] \in \mathbb{R}^n \\ \text{Random embedding} \qquad \text{Sliced text embedding} \end{split}$$

(2) Hierarchical Clustering Constraints

$$\mathcal{L}_{\text{hier}} = \sum_{e_i \in E} \left(\underbrace{\lambda_1 d(\mathbf{e}_i, \mathbf{c})}_{\textit{Cluster Cohesion}} - \underbrace{\lambda_2 \sum_{C' \in \mathcal{S}_m(C)} \frac{d(\mathbf{e}_i, \mathbf{c'})}{|\mathcal{S}_m(C)|}}_{\textit{Inter-level Cluster Separation}} - \underbrace{\lambda_3 \sum_{j=1}^{h-1} \frac{\beta_j (d(\mathbf{e}_i, \mathbf{p}_{j+1}) - d(\mathbf{e}_i, \mathbf{p}_j))}{h-1}}_{\textit{Hierarchical Distance Maintenance}} \right)$$

(3) Semantic Anchoring Constraint

$$\mathcal{L}_{ ext{anc}} = -\sum_{e_i \in \mathcal{E}} d(\mathbf{e}_i, \mathbf{v}_i')$$

(crucial for large clusters where the diversity of entities may cause the fine-tuned embeddings to drift from original semantics)

(4) Score Function-Based Fine-Tuning

$$\mathcal{L}_{\text{link}} = -\sum_{(e_i, r, e_j) \in \mathcal{D}} \left(\log \sigma(\gamma - f_r(\mathbf{e}_i, \mathbf{e}_j)) - \frac{1}{|\mathcal{N}_j|} \sum_{n_j \in \mathcal{N}_j} \log \sigma(\gamma - f_r(\mathbf{e}_i, \mathbf{e}_{n_j})) \right)$$

(5) Training Objective: $\mathcal{L} = \zeta_1 \mathcal{L}_{hier} + \zeta_2 \mathcal{L}_{anc} + \zeta_3 \mathcal{L}_{link}$



Datasets

Table 1: **Datasets statistics.** #Ent./#Rel: number of entities/relations. #Train/#Valid/#Test: number of triples contained in the training/validation/testing set.

Dataset	#Ent.	#Rel.	#Train	#Valid	#Test
FB15k-237	14,541	237	272,115	17,535	20,466
YAGO3-10	123,182	37	1,079,040	5,000	5,000
PrimeKG	10,344	11	100,000	3,000	3,000

Metrics

Mean Rank (MR):

Measures the average rank of true entities.

Mean Reciprocal Rank (MRR):

Averages the reciprocal ranks of true entities.

Hits@N:

 Measures the proportion of true entities in the top N predictions.

FB15K-237:

 A subset of Freebase, a large collaborative knowledge base focusing on common knowledge.

YAGO3-10:

 A subset of YAGO, a large knowledge base derived from multiple sources including Wikipedia, WordNet, and GeoNames.

PrimeKG:

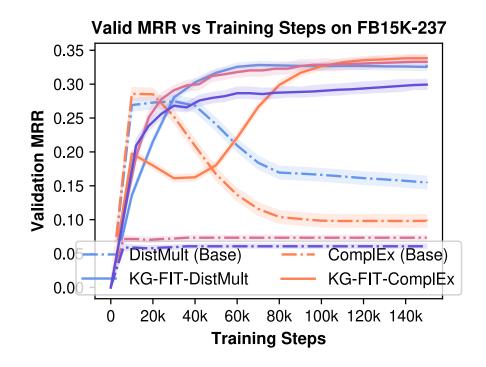
 A biomedical KG integrates 20 biomedical resources, detailing 17,080 diseases through 4,050,249 relationships. <u>In this study, we extract a</u> <u>subset of PrimeKG</u>, which contains 106,000 triples.

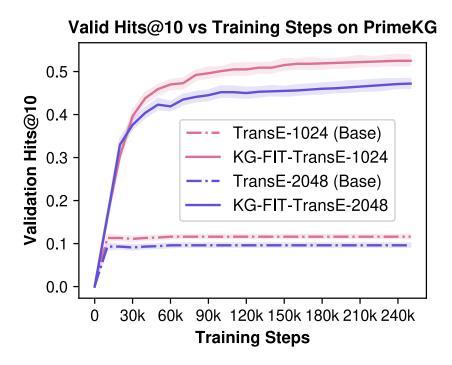
Main Results on Link Prediction

- (1) KG-FIT consistently and significantly outperforms state-of-the-art PLM-based and structure-based methods across all datasets and metrics.
- (2) With LLM-guided hierarchy refinement, KG-FIT achieves huge performance gains compared to the base models and KG-FIT with seed hierarchy.
- (3) KG-FIT is more effective for smaller KGs, e.g., more performance gains on PrimeKG (~ 0.1 million triples) than YAGO3-10 (~1 million triples).

FB15K-237						YAGO3-10					PrimeKG							
						PLM-b	ased Em	beddin	g Metho	ods								
M	odel	PLM	MR	MRR	H@1	H@5	H@10	MR	MRR	H@1	H@5	H@10	MR	MRR	H@1	H@5	H@10	
KG-BERT [22]*		BERT	153	.245	.158	_	.420	_	_	_	_	_	-	_	_	_	_	
StAF	R [23]*	RoBERTa	117	.296	.205	_	.482	_	_	_	_	_	_	_	_	_	_	
PKG	C [28]	RoBERTa	184	.342	.236	.441	.525	1225	.501	.426	.596	.660	219	.485	.391	.565	.625	
	KE [<mark>26</mark>]*	BERT	141	.306	.218	_	.484	_	_	_	_	_	_	_	_	_	_	
	5 [<mark>25</mark>]*	T5	_	.276	.210	_	.414	_	.426	.368	_	.528	_	_	_	_	_	
	2S [<mark>24</mark>]*	T5	_	.336	.257	_	.498	_	_	_	_	_	–	_	_	_	_	
	GC [27]	BERT	_	.336	.249	_	.511	_	_	-	_	_	168	.527	.524	.679	.742	
CSPron	n-KG [32]	BERT	_	.358	.269	_	.538	1145	.488	.451	.624	.675	157	.540	.492	.652	.745	
LLM Emb	. (zero-shot)	TE-3-S	2044	.023	.002	.035	.068	22741	.009	.000	.016	.024	5581	.000	.000	.000	.000	
		TE-3-L	1818	.030	.004	.048	.085	18780	.015	.000	.019	.032	4297	.001	.000	.000	.000	
					St	ructure	e-based I	Embedd	ing Met	thods								
Model	Frame	\mathcal{H}	MR	MRR	H@1	H@5	H@10	MR	MRR	H@1	H@5	H@10	MR	MRR	H@1	H@5	H@10	
	Base [14]	_	233	.287	.192	.389	.478	1250	.500	.398	.626	.685	182	.048	.000	.043	.124	
TransE	ETE	Seed	142	.345	.242	.457	.547	952	.520	.429	.638	.700	80	.298	.000	.315	.516	
	KG-FIT	LHR	122	.362	.264	.478	.568	529	.544	.463	.650	.705	69	.334	.000	.342	.536	
	Base [15]	_	283	.260	.163	.349	.437	5501	.451	.365	.553	.615	174	.577	.475	.699	.782	
DisMult	KG-FIT	VC ETT	Seed	184	.316	.198	.415	.512	963	.486	.413	.591	.673	107	.589	.495	.715	.799
		LHR	154	.331	.226	.433	.529	861	.527	.441	.636	.682	78	.617	.526	.747	.813	
	Base [16]	_	347	.252	.161	.344	.439	6681	.463	.384	.560	.612	202	.614	.522	.728	.789	
ComplEx	KG-FIT	Seed	201	.325	.223	.436	.523	997	.491	.422	.603	.669	94	.638	.548	.767	.823	
		LHR	151	.344	.247	.458	.551	842	.544	.460	.646	.697	82	.651	.566	.772	.835	
	Base [17]	_	341	.312	.224	.401	.508	1105	.529	.451	.619	.673	144	.516	.456	.645	.760	
ConvE	KG-FIT	Seed	181	.318	.237	.411	.521	912	.535	.455	.628	.685	93	.627	.534	.757	.812	
		LHR	177	.318	.241	.415	.525	885	.541	.461	.647	.695	72	.648	.547	.767	.824	
	Base [18]	_	363	.320	.230	.417	.505	1110	.529	.454	.633	.690	171	.543	.442	.663	.737	
TuckER	KG-FIT		Seed	175	.330	.241	.433	.521	874	.538	.458	.651	.703	77	.640	.542	.770	.805
		LHR	144	.349	.255	.448	.543	838	.545	.466	.654	.708	62	.648	.550	.779	.820	
	Base[19]	_	188	.310	.205	.399	.502	974	.477	.385	.573	.655	118	.491	.399	.593	.681	
pRotatE	VC ETT	Seed	160	.355	.257	.461	.558	910	.525	.436	.622	.693	75	.635	.538	.745	.809	
	KG-FIT	LHR	119	.371	.277	.483	.572	829	.550	.464	.648	.710	69	.649	.574	.779	.833	
RotatE	Base [19]	_	190	.333	.241	.428	.528	1620	.495	.402	.550	.670	57	.539	.447	.646	.727	
		Seed	141	.354	.261	.464	.555	790	.529	.440	.643	.708	46	.622	.517	.740	.805	
	KG-FIT	LHR	120	.369	.274	.488	.570	744	.563	.475	.658	.722	34	.645	.532	.758	.817	
	Base [20]	_	184	.344	.247	.435	.538	1220	530	.431	.634	.681	95	.595	.515	.708	.760	
HAKE	[-0]																	
HAISE	KG-FIT	Seed LHR	162 137	.358 .362	.268 .275	.470 .485	.563 . 572	854 810	.541 .568	.455 .474	.647 .662	.703 .718	82 42	.638 .682	.540 . 605	.747 .785	.808 .835	
-		Liik	157		.210	1700	.012	010		•/	.002	., 10		.002	.005	.,,,,,		

KG-FIT can Overcome Overfitting and Underfitting Issues







Ablation Studies

Table 3: **Ablation study for the proposed constraints.** *SA*, *HDM*, *ICS*, *CC* denote Semantic Anchoring, Hierarchical Distance Maintenance, Inter-level Cluster Separation, and Cluster Cohesion, respectively. We use TransE and HAKE as the base models for KG-FIT on FB15K-237 and YAGO3-10, respectively.

HDM SA ICS CC					FB15K-237 ((KG-FIT _{TransE}))	YAGO3-10 (KG-FIT _{HAKE})					
HDM	SA	ics	CC	MRR	H@1	H@5	H@10	MRR	H@1	H@5	H@10		
√	1	√	1	.362	.264	.478	.568	.568	.474	.662	.718		
Х	✓	✓	1	$.345_{(\downarrow.017)}$	$.248_{(\downarrow.016)}$	$.454_{(\downarrow.024)}$	$.542_{(\downarrow.026)}$	$.558_{(\downarrow.010)}$	$.467_{(\downarrow.007)}$	$.654_{(\downarrow.008)}$	$.709_{(\downarrow.009)}$		
X	X	✓	✓	$.335_{(\downarrow.027)}$	$.241_{(\downarrow.023)}$	$.444_{(\downarrow .034)}$	$.533_{(\downarrow .035)}$	$.545_{(\downarrow.023)}$	$.452_{(\downarrow .022)}$	$.640_{(\downarrow .022)}$	$.695_{(\downarrow.023)}$		
Х	√	Х	✓	$.343_{(\downarrow.019)}$	$.244_{(\downarrow .020)}$	$.449_{(\downarrow .029)}$	$.538_{(\downarrow .030)}$	$.544_{(\downarrow.024)}$	$.453_{(\downarrow .021)}$	$.643_{(\downarrow .019)}$	$.691_{(\downarrow.027)}$		
Х	/	✓	X	$.332_{(\downarrow .030)}$	$.239_{(\downarrow .025)}$	$.437_{(\downarrow .041)}$	$.529_{(\downarrow .039)}$	$.558_{(\downarrow.010)}$	$.465_{(\downarrow .009)}$	$.656_{(\downarrow .006)}$	$.711_{(\downarrow.007)}$		
X	X	Х	Х	$.287_{(\downarrow.075)}$	$.192_{(\downarrow .072)}$	$.389_{(\downarrow.089)}$	$.478_{(\downarrow .090)}$	$.530_{(\downarrow .038)}$	$.431_{(\downarrow .043)}$	$.634_{(\downarrow.028)}$.681 _(↓.037)		

Findings:

- Hierarchical Distance
 Maintenance is crucial for
 both datasets. Its removal
 significantly degrades
 performance across all
 metrics, highlighting the
 necessity of preserving the
 hierarchical structure in the
 embedding space.
- Semantic Anchoring proves
 more critical for the denser
 YAGO3-10 graph, where each
 cluster contains more entities,
 making it harder to distinguish
 between them based solely on
 cluster cohesion. The sparser
 FB15K-237 dataset is less
 impacted by the absence of this
 constraint.
- Similar to the semantics anchoring, the removal of Interlevel Cluster Separation significantly affects the denser YAGO3-10 more than FB15K-237. Without this constraint, entities in YAGO3-10 may not be well-separated from other clusters, whereas FB15K-237 is less influenced.
- Removing **Cluster Cohesion** has a larger impact on the sparser FB15K-237 than on YAGO3-10. This difference suggests that sparse graphs rely more on the prior information provided by clusters, while denser graphs can learn this information more effectively from their abundant data.

Ablation Studies

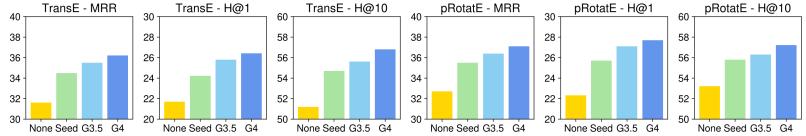


Figure 3: KG-FIT on FB15K-237 with different hierarchy types. *None* indicates no hierarchical information input. *Seed* denotes the seed hierarchy. *G3.5/G4* denotes the LHR hierarchy constructed by GPT-3.5/4o. LHR hierarchies outperform the seed hierarchy, with more advanced LLMs constructing higher-quality hierarchies.

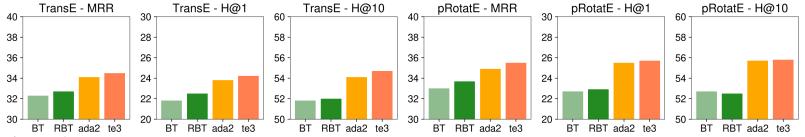


Figure 4: KG-FIT on FB15K-237 with different text embedding. *BT*, *RBT*, *ada2*, and *te3* are BERT, RoBERTa, text-embedding-ada-002, and text-embedding-3-large, respectively. Seed hierarchy is used for all settings. It is observed that pre-trained text embeddings from LLMs are substantially better than those from small PLMs.



Efficiency Analysis

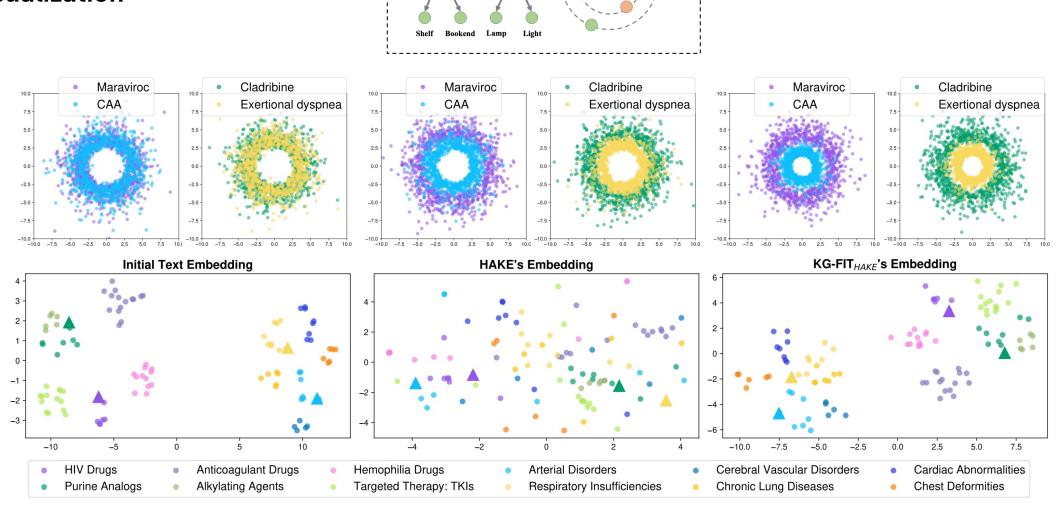
Model Efficiency on PrimeKG. T/Ep and Inf denote training time per epoch and inference time.

Method	LM	T/Ep	Inf
KG-BERT	RoBERTa	170m	2900m
PKGC	RoBERTa	190m	50m
TagReal	LUKE	190m	50m
StAR	RoBERTa	125m	30m
KG-S2S	T5	30m	110m
SimKGC	BERT	20m	0.5m
CSProm-KG	BERT	15m	0.2m
KG-FIT (ours)	Any LLM	1.2m	0.1m
Structure-based	_	0.2m	0.1m

Our KG-FIT achieves 12 times the training speed of the most efficient PLM-based baseline!

][

Visualization



HAKE

Device

KG-FIT preserves both local and global semantics!

(Potential Downstream Applications)

Fundamental KG Tasks Entity Matching Across KGs Speed & Proximal Relationship Search for Retrieval Augmented Generation (RAG) **Link Prediction** Q: "Can drinking black tea A: "Drinking black tea, which is KG A KG_B Diseases help reduce the risk of rich in flavonoids, may help reduce Global Tech GlobalTech Inc. the risk of cardiovascular ardiovascular diseas Industries diseases. Flavonoids are known for their antioxidant properties, flavonoids-Beverage which can offer protective benefits Relation Prediction SmartVision ' may treat cardiova SV3000 3000 against such conditions." Camera **Triple Classification** Home Smart Home Automation supportive Devices Solution False information in KG

- (1) **Traditional KG Tasks**: link prediction, triple classification, relation extraction, entity resolution, KG-based question answering (KGQA), ...
- (2) Entity Matching across KGs: leverage both local & global semantics to match the same entities with different labels in various KGs.
- (3) Speed & Proximal Relationship Search for RAG: leverage the hierarchical structure of KG-FIT to efficiently and effectively search highly relevant triples related to the context.

Conclusions

We introduced KG-FIT, a novel framework that enhances knowledge graph (KG) embeddings by integrating open-world entity knowledge from Large Language Models (LLMs).

- KG-FIT effectively combines the knowledge from LLM and KG to preserve both global and local semantics, achieving state-of-the-art link prediction performance on benchmark datasets.
- It shows significant improvements in accuracy compared to the base models. Notably, KG-FIT can seamlessly integrate knowledge from any LLM, enabling it to evolve with ongoing advancements in language models.
- Future work will explore incorporating LLM-generated summaries of KG triples in training set as entity descriptions, further enhancing the embedding quality.

Code: https://github.com/pat-jj/KG-FIT

Thank you!